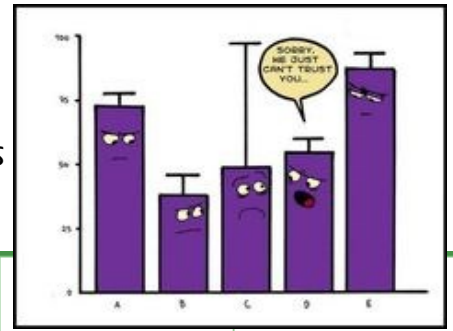


AP Statistics

Unit 1: Descriptive Statistics Chapters 1-5



Intro Day 1
Smelling
Parkinsons

Intro Day 2
Smelling
Parkinsons
**HW: reading
guide**

Contingency Tables

<http://bit.ly/22JAX3n>

20
3.1
Rent-a-Date
Categorical Data
HW: p38(11-13)

21
3.2
Contingency
Tables
Independence
HW: p41(28,29)

22
4.2/4.3
Summary Statistics – Center &
Spread
Samatha's Family
HW: p75 (32-34)

23
24
4.4
Quantitative
Graphs by hand
**HW: p76 (34,
40, + box plot)**

Box plots & outliers

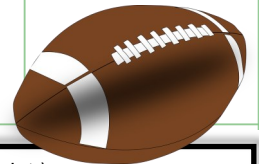
<http://bit.ly/1PAzDgX>

27
4.5
Quantitative
Graphs with
technology
HW: p72(5-8)

28
5.1
Comparing
Distributions
HW: p97 (13-16)

29
30
5.2
Review/Practice
Gather HW – due Friday!

31
5.3 Unit Test



A. Interpreting graphical displays of distributions of univariate data (dotplot, stemplot, histogram, cumulative frequency plot.)

1. Center and spread
2. Clusters and gaps
3. Outliers and other unusual features
4. Shape

B. Summarizing distributions of univariate data

1. Measuring center: median, mean
2. Measuring spread: range, interquartile range, standard deviation
3. Measuring position: quartiles, percentiles
4. Using boxplots
5. The effect of changing units on summary measures

C. Comparing distributions of univariate data (dotplots, back-to-back stemplots, parallel boxplots)

1. Comparing center and spread: within group, between group variation
2. Comparing clusters and gaps
3. Comparing outliers and other unusual features
4. Comparing shapes

E. Exploring categorical data: frequency tables

1. Frequency tables and bar charts
2. Marginal and joint frequencies for two-way tables
3. Conditional relative frequencies and association
4. Comparing distributions using bar charts

MC Practice

<http://bit.ly/1TRRhsY>

More MC Practice

<http://bit.ly/231Vkat>

Formulas

(I) Descriptive Statistics

$$\bar{x} = \frac{\sum x_i}{n}$$

$$s_x = \sqrt{\frac{1}{n-1} \sum (x_i - \bar{x})^2}$$

$$s_p = \sqrt{\frac{(n_1 - 1)s_1^2 + (n_2 - 1)s_2^2}{(n_1 - 1) + (n_2 - 1)}}$$

$$\hat{y} = b_0 + b_1 x$$

$$b_1 = \frac{\sum (x_i - \bar{x})(y_i - \bar{y})}{\sum (x_i - \bar{x})^2}$$

$$b_0 = \bar{y} - b_1 \bar{x}$$

$$r = \frac{1}{n-1} \sum \left(\frac{x_i - \bar{x}}{s_x} \right) \left(\frac{y_i - \bar{y}}{s_y} \right)$$

$$b_1 = r \frac{s_y}{s_x}$$

$$s_{b_1} = \frac{\sqrt{\frac{\sum (y_i - \hat{y}_i)^2}{n-2}}}{\sqrt{\sum (x_i - \bar{x})^2}}$$