

$$A \rightarrow (-1, 6) \quad B \rightarrow (2, 4) \\ C \rightarrow (1, -1) \quad D \rightarrow (-2, 1)$$

Tuesday, February 19, 2019

- Warm-up
 - Rewrite each of the points from the matrix into coordinate point form (x, y)

$$\begin{array}{c} x \\ y \end{array} \begin{array}{cccc} A & B & C & D \\ \left[\begin{array}{cccc} -1 & 2 & 1 & -2 \\ 6 & 4 & -1 & 1 \end{array} \right] \end{array}$$

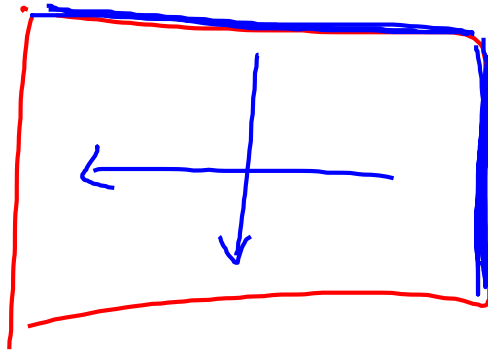
- Talk about Tests
- Matrices & Translations

Content Objective: I will write and apply the rules for various graphical transformations.

Social Objective: I will work to include and be involved with others in my group.

Language Objective: I will use correct vocabulary when describing graphical transformations both in writing and verbally with my class and group.

Talk about tests



Brain Break

The slide features a light green background with a white rounded rectangle in the top-left corner. The text 'Brain Break' is written in a dark teal font within this white area. A thick, dark blue horizontal bar spans across the middle of the slide, starting from the left edge and extending towards the right.

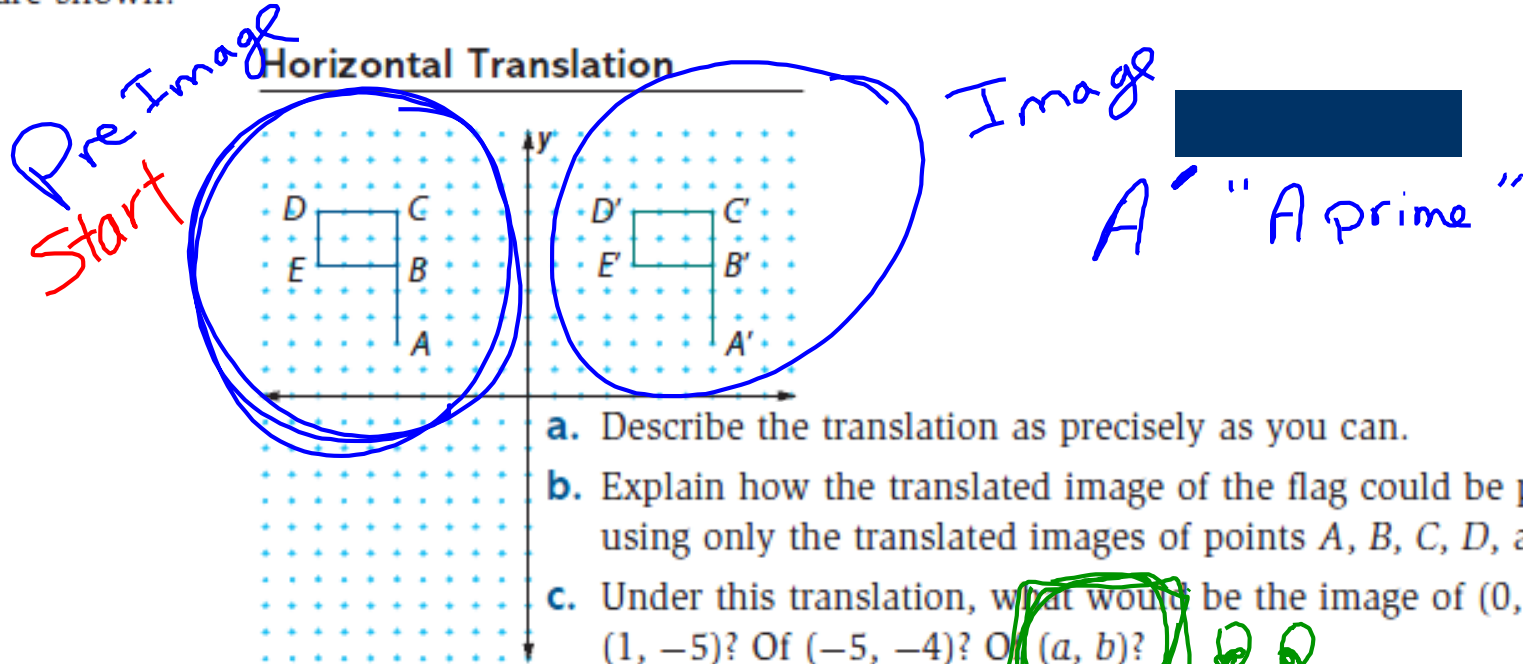
Investigation Structure

P198

- Person a leads a, b leads b, etc.
- What does it mean to lead?

Translating Shapes A translation, or sliding motion, is determined by distance and direction. By looking carefully at a simple shape and its translated image, you can discover patterns relating the coordinates of the shape and the coordinates of its image.

- 2 On the screen below, a flag $ABCDE$ and its translated image $A'B'C'D'E'$ are shown.



- Describe the translation as precisely as you can.
- Explain how the translated image of the flag could be produced using only the translated images of points A , B , C , D , and E .
- Under this translation, what would be the image of $(0, 0)$? Of $(1, -5)$? Of $(-5, -4)$? Of (a, b) ? $(a+4, b)$
- Write a rule you can use to obtain the image of any point (x, y) in the coordinate plane under this translation. State your rule in words and in symbolic form $(x, y) \rightarrow (_, _)$.

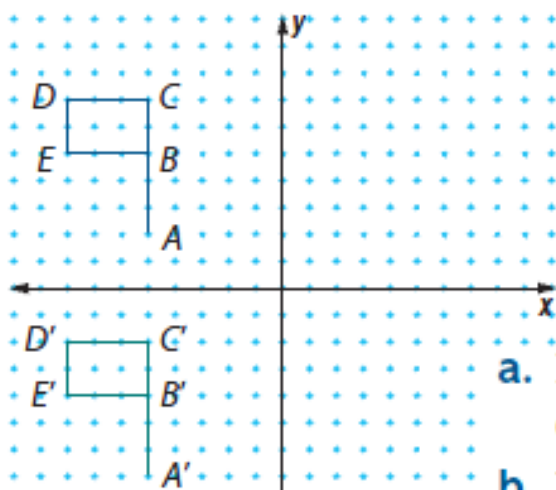
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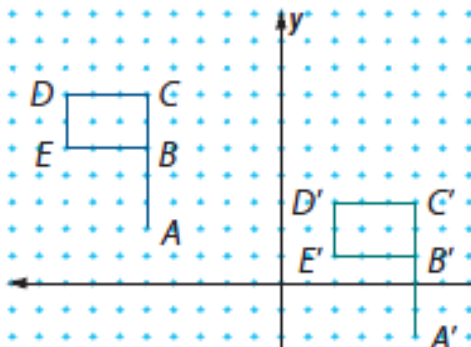
Language Objective: I will use correct vocabulary when describing graphical transformations both in writing and verbally with my class and group.

3 The screens below show a flag $ABCDE$ and its image under two of translations.

Vertical Translation



Oblique Translation



- Describe the vertical translation as precisely as you can. Describe the diagonal (oblique) translation.
- Under the vertical translation, what would be the image of $(0, 0)$? Of $(2, 5)$? Of $(4.1, -2)$? Of (a, b) ?
- Write a rule you can use to obtain the image of any point (x, y) under the vertical translation. State your rule in words and in symbolic form $(x, y) \rightarrow (_, _)$.
- Under the oblique translation, what would be the image of $(0, 0)$? Of $(2, 5)$? Of $(4.1, -2)$? Of (a, b) ?
- Write a rule you can use to obtain the image of any point (x, y) under the oblique translation. State your rule in words and in symbolic form.

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4

Compare the transformation rules you developed for Part d of Problem 2 and for Parts c and e of Problem 3. Write a general rule that tells how to take any point (x, y) and find its translated image if the preimage is moved horizontally h units and vertically k units. Compare your rule with others and resolve any differences.

You now have a rule you can use to find the translated image of any point when you know the **components of the translation**—the horizontal and vertical distances and directions the point is moved (left or right, up or down). This is exactly the information a calculator or computer graphics program needs in order to display a set of points and their translated images.

Unit 3

Lesson 2

Investigation 1

Pages 198-205

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Brain Break

- Clean Up

What is the slope of the line in the xy -plane that passes through the points $\left(-\frac{5}{2}, 1\right)$ and $\left(-\frac{1}{2}, 4\right)$?

A) -1

B) $-\frac{2}{3}$

C) 1

D) $\frac{3}{2}$

Exit Slip

- Show your process
- Choose an answer
- What made this problem more difficult than a typical slope problem?
- How did you overcome those difficulties?